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REVIEWS IN GRAPH THEORY

Compiled and Edited by William G. Brown McGILL UNIVERSITY DEPARTMENT OF MATHEMATICS

This publication is a four-volume compendium of about 9,600 reviews in graph theory published by **Mathematical Reviews** in Volumes 1 through 56, i.e. between 1940 and 1978 inclusive. Reviews were selected from the several sections of **Mathematical Reviews** which were the usual repositories of such items; from the subject lists in **Mathematical Reviews** indexes, where available; and through a systematic perusal of about half of all reviews published by **Mathematical Reviews** during the 39 years under consideration. Every review cited in a selected review was also read, and the process iterated until stable.

A classification scheme containing over 500 categories was developed for the purpose. Every review has been assigned one primary classification and, on the average, one secondary classification. Reviews are reprinted in strict chronological order of **Mathematical Review** numbers in their primary subject area, with a brief citation at each secondary location.

The final volume provides a detailed author index, which can serve as an effective bibliography of the subject.

These volumes are a research tool. They are directed to anyone who has occasion to consult the literature of graph theory: mathematicians, computer scientists, engineers, and management scientists, as well as students, teachers, and practicing researchers.

The potential reader requires no more background than would be required to read papers which are reviewed in the compendium. These vary from highly erudite papers in other areas of mathematics where graph theory is used as a tool to solve specific problems, to elementary descriptive papers which would be understandable to high school students.

A few of the reviews are themselves gems of the mathematical literature. But, for the most part, the reader will use this book as a research tool—to determine what has been done in a particular area of the subject, or to locate known papers when the values of not all parameters are available.

There has been nothing of this scope or magnitude in the subject before. This is the first major bibliography in graph theory which incorporates reviews.

The editor's previous work includes research papers in graph theory and related fields, and many reviews.

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NUMERICAL ANALYSIS

edited by Gene H. Golub and Joseph Oliger

Lecture Notes from the Short Course sponsored by the AMS, Atlanta, January 3–4, 1978

This is the collection of texts prepared by the lecturers of the Numerical Analysis Short Course given at the A.M.S. meeting in Atlanta, Georgia in January 1978. Computational linear algebra, optimization and the solution of nonlinear equations, the approximations of functions and functionals, and approximations for initial and boundary value problems for ordinary and partial differential equations are discussed. Methods such as the QR factorization, singular value decomposition, quasi-Newton and secant methods, finite difference, finite element and collocation methods are included in these discussions.

The subject matter was chosen to emphasize prominent research areas and attitudes in numerical analysis. These are introductory lectures on the subject matter for presentation to an audience of scientists from other areas or disciplines. Typically, there is an introduction to a given problem area and to techniques used, an application to applied problems, and a discussion of current research questions or directions.

Several trends in modern numerical analysis are discussed in these lectures. There has always been the quest to find the best way to do things. More realistic notions of "best" are evolving which incorporate the classical notions and realistic costs of producing the desired result. The discussion of good vs. best approximation is an example. More attention is being given to providing not only an answer, but a computed guarantee that it is a good answer—or a poor one. Easily computed and sharp a posteriori estimates are needed. The discussion of estimates of condition numbers is an example. There is progress being made in algorithm design based on operator splittings which allow one to take advantage of being able to solve simpler subproblems very efficiently. Updating strategies for optimization and splitting methods for differential equations are examples.

These texts should be useful to the practicing users of numerical methods, programmers, scientists, and engineers who would like to know what progress is being made on the theoretical and developmental side of the subject. They should be useful to numerical analysts to review progress in areas other than their own, and to mathematicians in general who would like to understand what the concerns of numerical analysts are. The texts should be useful for the development of seminars and reading courses in the academic environment. Many will probably find the bibliographies of current work most useful.

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Rudolf Land, Computation of Pólya Polynomials of Primitive Permutation Groups	267
Sol Weintraub, A Large Prime Gap	279
Hiroshi Gunji and Dennis Arnon, On Polynomial Factorization Over Finite Fields	281
D. H. Lehmer, On Fermat's Quotient, Base Two	289
Daniel Shanks and H. C. Williams, Gunderson's Function in Fermat's Last Theorem.	291
Herman J. J. te Riele, Hyperfect Numbers With Three Different Prime Factors	297
Peter Hagis, Jr., Unitary Hyperperfect Numbers	299
W. Borho, Some Large Primes and Amicable Numbers	303
Reviews and Descriptions of Tables and Books	305
Chihara 1, Ribenboim 2, Carré 3, Dodes 4, Gradshteyn and Ryzhik 5	
Table Erratum	315
Erdélyi, Magnus, Oberhettinger and Tricomi 574, Magnus, Oberhettinger and	
Soni 575, Byrd and Friedman 576, Gradshteyn and Ryzhik 577, Fettis and	
Caslin 578, Whittaker and Watson 579, Byrd and Friedman 580, Goldstine	
581, Gradshteyn and Ryzhik 582	

No microfiche supplement in this issue

MATHEMATICS OF COMPUTATION TABLE OF CONTENTS

January 1981

Carl de Boor and Blair Swartz, Collocation Approximation to Eigenvalues of an Or-	
dinary Differential Equation: Numerical Illustrations	1
Carl de Boor and Blair Swartz, Local Piecewise Polynomial Projection Methods for an O.D.E. Which Give High-Order Convergence at Knots	21
Randolph E. Bank and Todd Dupont, An Optimal Order Process for Solving Finite	
Element Equations	35
Douglas N. Arnold, Jim Douglas, Jr. and Vidar Thomée, Superconvergence of a Fi-	
nite Element Approximation to the Solution of a Sobolev Equation in a Single Space Variable	53
Ragnar Winther, A Stable Finite Element Method for Initial-Boundary Value Prob-	
lems for First-Order Hyperbolic Systems	65
William J. Layton, Estimates Away From a Discontinuity for Dissipative Galerkin	
Methods for Hyperbolic Equations	87
A. Y. Le Roux, Stability of Numerical Schemes Solving Quasi-Linear Wave Equa-	
tions	93
David Gottlieb, The Stability of Pseudospectral-Chebyshev Methods	107
Claude Bardos, Michel Bercovier and Olivier Pironneau, The Vortex Method With	
Finite Elements	119
Jean Descloux, Mitchell Luskin and Jacques Rappaz, Approximation of the Spec-	
trum of Closed Operators: The Determination of Normal Modes of a Rotat- ing Basin	137
Harry Munz, Uniform Expansions for a Class of Finite Difference Schemes for Ellip-	
tic Boundary Value Problems	155
A. Iserles, Quadrature Methods for Stiff Ordinary Differential Systems	171
G. Avdelas and A. Hadjidimos, Optimum Accelerated Overrelaxation Method in a Special Case	183
Bengt Fornberg, A Vector Implementation of the Fast Fourier Transform Algorithm	189
K. S. Thomas, Galerkin Methods for Singular Integral Equations	193
Claus Schneider, Product Integration for Weakly Singular Integral Equations	207
P. W. Hemker and H. Schippers, Multiple Grid Methods for the Solution of Fred-	
holm Integral Equations of the Second Kind	215
K. Glashoff and K. Roleff, A New Method for Chebyshev Approximation of	
Complex-Valued Functions	233
J. F. Mahoney, Partial Fraction Evaluation by an Escalation Technique	241
Peter McCullagh, A Rapidlý Convergent Series for Computing $\psi(z)$ and Its Deriva-	211
tives	247
M. M. Shepherd and J. G. Laframboise, Chebyshev Approximation of $(1 + 2x)$.	27/
exp (x^2) erfc x in $0 \le x \le \infty$.	249
John D. Dixon, Asymptotically Fast Factorization of Integers	255
Leonard Adleman and Frank Thomson Leighton, An $O(n^{1/10.89})$ Primality Testing	200
Algorithm	261
0	